

Class Note 16:**Node-Voltage Method vs. Mesh-Current Method - which is better and when?****General (meaning "not always true") selection rule:**

Pick one which results in fewer equations by comparing the number of:

- (a) unknown node voltages and
- (b) unknown mesh currents.

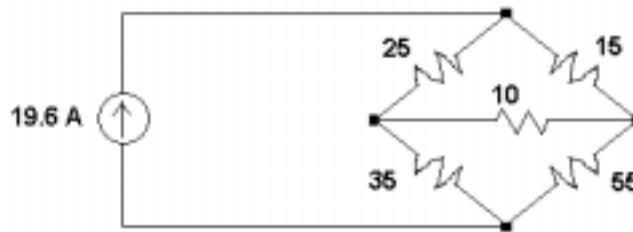
Adage

"Some time spent thinking about the circuit analysis problem in relation to the various approaches (node and mesh included) is time well spent."

CASE 1:

The question with the circuit below is to find the power dissipated in the $10\ \Omega$ resistor. Which method, node or mesh, do you want to pick?

Let's apply the general rule to select a better approach.

**SOLUTION**

(1) Strategy? : Find the current through the $10\ \Omega$ resistor (i_{10}) since $P_{10} = (i_{10})^2(10)$.

(2) Nodes: 3 + reference

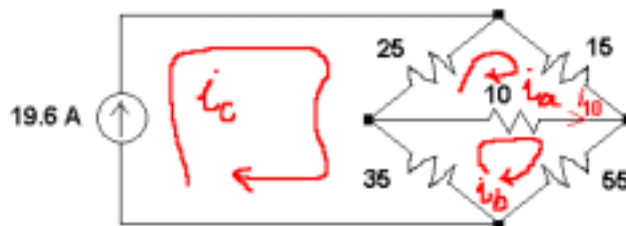
Meshes: 3 but (one is already known with 19.6)

(3) Verdict: Mesh-Current Method.

Let's mark the mesh currents as follows.

See that the mesh current i_c is the same as the source current, 19.6.

Also, i_{10} now is: $i_{10} = i_b - i_a$



(4) Calculation.

$$\text{@ Mesh a: } 25(i_a - 19.6) + 15i_a + 10(i_a - i_b) = 0 \quad \text{-----} > \quad 5i_a - i_b = 49 \quad \text{-----} (1)$$

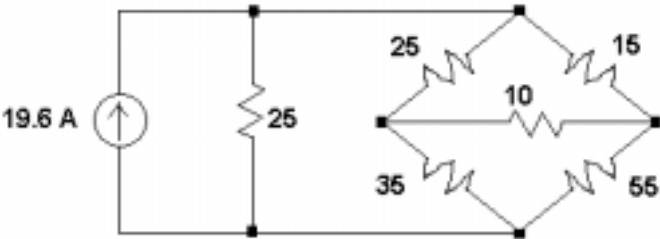
$$\text{@ Mesh b: } 35(i_b - 19.6) + 10(i_b - i_a) + 55i_b = 0 \quad \text{-----} > \quad -10i_a + 100i_b = 686 \quad \text{-----} (2)$$

By (1)*2 + (2): $98i_b = 784$, therefore, $i_b = 8$ and $i_a = 11.4$

Then $i_{10} = i_b - i_a = -3.4$.

Finally, $P_{10} = (i_{10})^2(10) = 115.6\ \text{[W]}$.

CASE 2: From the case 1, we inserted a 25Ω resistor and the question again is to find the power dissipated in the 10Ω resistor. What method are you going to apply?



SOLUTION:

Nodes: 3 + Reference (3 variables)
 Meshes: $4 - 1 = 3$ (3 variables).
 Verdict: ?????

